

## Writing Assignment 4

Due Monday, February 15, 11:59 PM

A simple closed curve is a continuous function  $\gamma : [0, 1] \rightarrow X$  for which  $\gamma(0) = \gamma(1)$  and for which  $\gamma$  is otherwise an injection. (E.g., the restriction of  $\gamma$  to  $[0, 1)$  is an injection.)

For this problem, call a curve  $C^1$  if it admits a tangent vector at every point. Two  $C^1$  curves are transverse if, for any intersection point  $x$ , the tangent vectors of the two curves are linearly independent.

Can you draw two transverse,  $C^1$ , simple closed curves in Pacman's world with an odd number of intersection points?

Can you draw two transverse,  $C^1$ , simple closed curves on  $S^2$  with an odd number of intersection points?

Explore.